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Actuarial Study Materials

Learning Made Easier

Flashcards for SOA Exam MFE

4th Edition, Third Printing



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Table 2: Rating system

★★★★★	Essential—appears repeatedly on every exam
★★★★★	Important—appears on every exam
★★★★	Average importance—regularly appears on exams
★★★	Not so important—appears occasionally on exams, or easy to derive as needed
★	Obscure—on syllabus, but unlikely to appear on exam. Sometimes this indicates a formula not covered by all the reading options. No released exam uses this formula or concept, and students have never reported a question from an unreleased exam requiring this formula or concept.



*T – t forward price at time t of nondividend
paying stock*



$$F_{t,T}(S) = S_t e^{r(T-t)}$$



*T – t forward price at time t of stock with
discrete dividends*



$$F_{t,T}(S) = S_t e^{r(T-t)} - \text{CumValue}(\textit{Dividends})$$



*$T - t$ forward price at time t of stock paying
continuous dividends at rate δ*



$$F_{t,T}(S) = S_t e^{(r-\delta)(T-t)}$$



$T - t$ forward price at time t of currency, if domestic continuously compounded risk-free interest rate is r_d and foreign continuously compounded risk-free interest rate is r_f



$$F_{t,T}(x) = x_t e^{(r_d - r_f)(T-t)}$$



General put-call parity equation (time 0 to time T) for European options



$$C(K, T) - P(K, T) = e^{-rT}(F_{0,T} - K)$$



Put-call parity (time 0 to time T) for European options on stock paying discrete dividends

Put-Call Parity



$$\begin{aligned} C(S, K, T) - P(S, K, T) \\ = S_0 - PV_{0,T}(\textit{Dividends}) - Ke^{-rT} \end{aligned}$$



*Put-call parity (time 0 to time T) for European
options on a stock paying continuous
dividends at rate δ*

Put-Call Parity



$$C(S, K, T) - P(S, K, T) = S_0e^{-\delta T} - Ke^{-rT}$$



Equation for synthetic stock with continuous dividends

Put-Call Parity



$$S_0 = (C(K, T) - P(K, T) + Ke^{-rT})e^{\delta T}$$



Equation for synthetic stock with discrete dividends

Put-Call Parity



$$S_0 = C(K, T) - P(K, T) + PV(\textit{dividends}) + Ke^{-rT}$$



*Equation for synthetic Treasury bill maturing
for K , continuous dividends*

Put-Call Parity



$$Ke^{-rT} = S_0e^{-\delta T} - C(S, K, T) + P(S, K, T)$$



*Equation for synthetic Treasury bill maturing
for $K + \text{CumValue}(\text{dividends})$, discrete
dividends*

Put-Call Parity



$$Ke^{-rT} + \text{PV}(\textit{dividends}) = S_0 - C(K, T) + P(K, T)$$